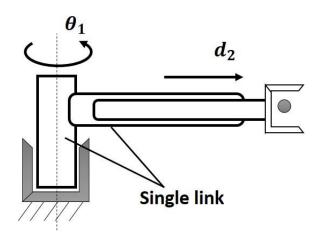
## BIRLA INSTITUTE OF TECHNOLOGY AND SCIENCE, PILANI HYDERABAD CAMPUS First Semester (2022-23) BITS F441: Robotics Mid Semester Test 3<sup>rd</sup> November 2022 Time: 1.30 PM – 3.00 PM Closed Book Max. Marks: 50

Q1. A frame  $\{j\}$  is rotated about Z - axis in frame  $\{i\}$  by  $33^{\circ}$  CCW (2M). Determine the Coordinates of the Point Q in frame  $\{i\}$  (2M), if the coordinates of point Q in frame  $\{j\}$  are  $[15, 8, 12]^T$  (1M). Draw a free hand diagram of the two frames and show point Q (2M). What will be the rotation matrix, if frame  $\{i\}$  is rotated by  $33^{\circ}$  CCW with respect to frame  $\{j\}$  (1M)? 8 M

Q2. For a 2 degree of freedom manipulator shown in figure, draw an equivalent line diagram (1.5 M), number the links (0.5 M), number the joints (0.5 M) and identify the type of joints (0.5 M). Assign frames to this robotic arm (5 M) and determine the link joint parameters for each link (2+2 = 4 M). **12 M** 



Q3. For a three degree of freedom manipulator link joint parameter table is given below. Determine  $[0T_1]$ ,  $[1T_2]$ ,  $[2T_3]$ ,  $[0T_2]$  and  $[0T_3]$ . **18 M** 

Link	a <sub>i</sub>	α <sub>i</sub>	d <sub>i</sub>	$\theta_i$
1	0.30 m	0	0	$\boldsymbol{\theta}_1$
2	0.25 m	0	0	$(\theta_2 - 90)$
3	0.10 m	0	0	$\boldsymbol{\theta}_{3}$

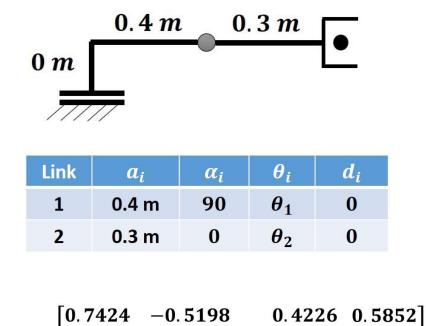
If the joint space vector  $[q] = \begin{bmatrix} \theta_1 \\ \theta_2 \\ \theta_3 \end{bmatrix} = \begin{bmatrix} 60 \\ 45 \\ 30 \end{bmatrix}$  deter

determine the Tool matrix is  $[T_E]$ 

## I222, J107 and J115

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Q4. Given in picture below is a manipulator arm with two revolute joints. The link joint parameter table is also given for this manipulator arm. Determine individual link transformation matrices and hence the manipulator arm transformation matrix (3 \* 2 = 6 M). Write all possible kinematic equations (2 M). Hence determine the joint space vector for the given Cartesian space vector. (4 M) **12 M** 



$[T_{E}] =$	0.3462	-0.2424	-0.9063 0	. 2729
	0.5736	0.8192	0 0.	1721
	0	0	0	1 ]

## All The Best